

## Goldbach's Conjecture

Bassera Hamid\*

Department of Mathematics, Paris, France

### Corresponding Author

Bassera Hamid, Department of Mathematics, Paris, France.

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### Abstract

*In this article I try to make my modest contribution to the proof of Goldbach's Conjecture and I propose to simply go through its negation.*

Let  $E$  be the prime numbers set.

The Goldbach conjecture states that :

$$\forall k \in \mathbb{N}^* / \{1\} \quad \exists (p, p') \in E^2 / \quad 2k = p + p'$$

Suppose this statement is false, then :

$$\exists k \in \mathbb{N}^* / \{1\} \quad \forall (p, p') \in E^2 / \quad 2k \neq p + p'$$

$$2k \neq p + p' \text{ is equivalent to either } 2k < p + p' \text{ or } 2k > p + p'$$

in the case  $2k < p + p'$

as  $p$  and  $p'$  are arbitrary we can set the value of  $p'$  to 2 for example then,

$$2k - 2 < p.$$

but  $k \geq 2$  then  $2 \leq 2k - 2$  so  $\forall p \in E \quad 2 < p$ ,

it does mean that 2 is not prime! which is absurd.

in the case  $2k > p + p'$  then for  $p' = 2$ ,  $p < 2k - 2$ , so  $E$  is bounded and this is absurd too.

So, the negation of Goldbach statement is false.

**Conclusion:** The Goldbach's conjecture is true.

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